

Plenoptic camera and its Applications

Agenda:

1. Introduction
2. Single lens stereo design
3. Plenoptic camera design
4. Depth estimation
5. Synthetic refocusing
6. Fourier slicing
7. References



Introduction

- **What is a plenoptic camera?**

A camera that records information from all possible view points within the lens aperture. plenoptic originates from the roots “complete” and “view”

- **Motivation behind the invention:**

Initial motivation was depth estimation
Applications in synthetic refocusing (recent development)

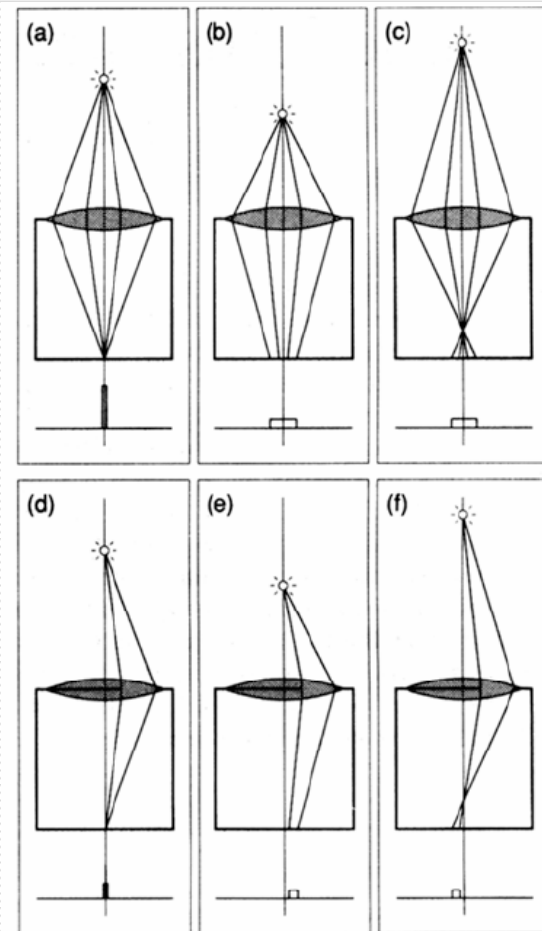
- **Inventors:**

Edward Adelson and John Wang of MIT. Their original paper was published in 1992

Recently (Feb 2005) the plenoptic camera design was enhanced by Ren Ng et al of Stanford.

Single lens stereo design

- Image of a point with a conventional lens.
- Image with an eccentric lens.
- When the aperture is displaced to the left, the image of a near object displaced to the left and image of a far object displaced to the right.
- In short, a near object "follows" the aperture displacement, while a far object "opposes" it.
- Can be used as a depth estimator.



Depth estimation with Single lens

- Depth can be measured by using simple geometric analysis.
- Disadvantage: Numerous snapshots are required for a complete depth estimation
- Can we obtain “everything” at once?
- Yes, welcome to the plenoptic camera!

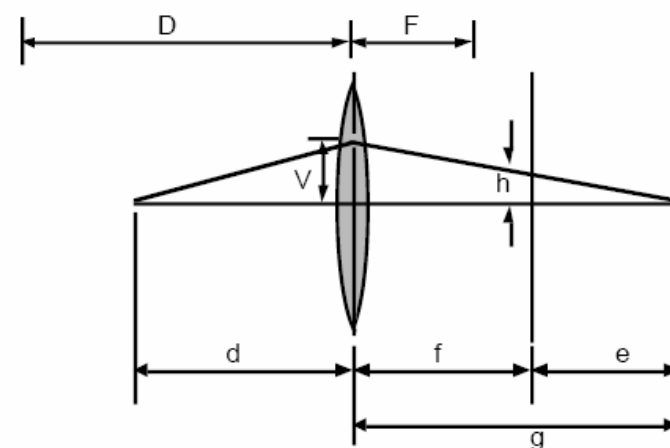
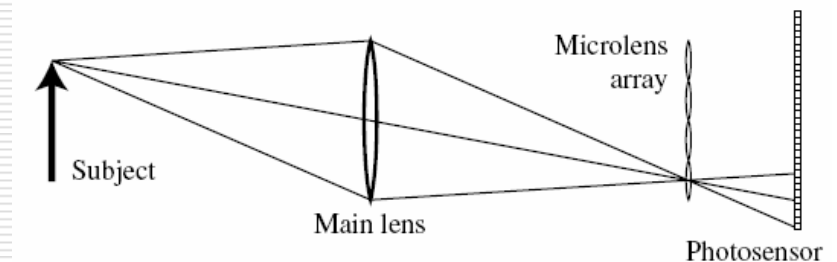


Fig. 4. Geometry of single lens stereo.

[1] ADELSON, T., AND WANG, J. Y. A. 1992. Single lens stereo with a plenoptic camera. *IEEE Transactions on Pattern Analysis and Machine Intelligence* 14, 2 (Feb), 99–106.

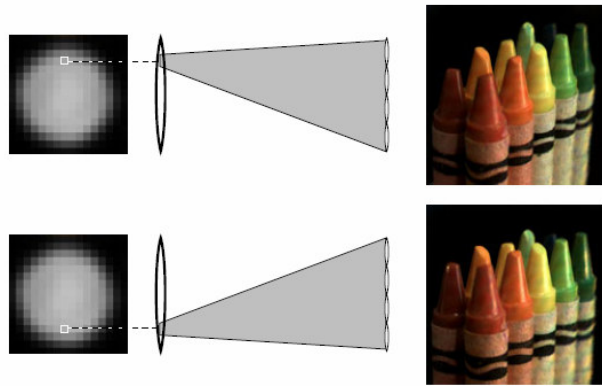
Plenoptic camera design

- Image formation in an ordinary camera
- Insert a microlens array before the sensor
- Why microlens?
To capture the directional lighting distribution arriving at each sensor location.
- What is the use of knowing the direction?
With the direction information, we can rearrange the pixel values in any order we want.
- What can be achieved by rearranging the pixel values?
Every pixel is associated with a ray. Rearranging the pixels is equivalent to rearranging the rays.
- What can be done by rearranging the rays?
Synthetic refocusing!



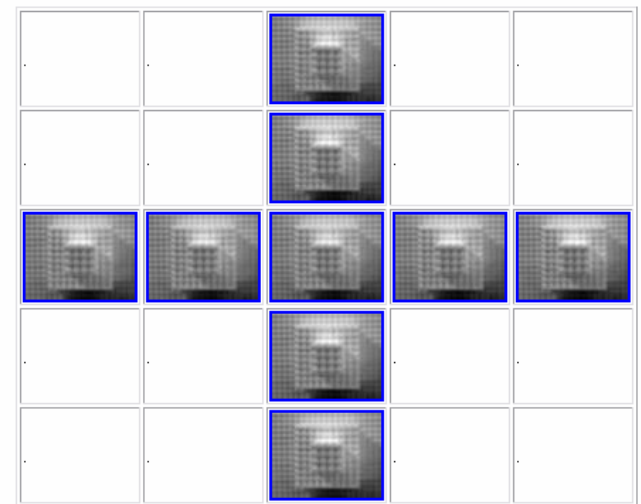
[3] NG, R., LEVOY, M., BR'EDIF, M., DUVAL, G., HOROWITZ, M., AND HANRAHAN, P. 2005. Light field photography with a hand-held plenoptic Camera. Tech. Rep. CSTR 2005-02, Stanford Computer Science.

Depth estimation

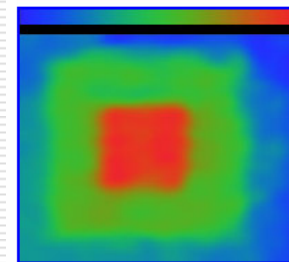


- By performing a displacement analysis on successive images obtained from horizontal and vertical pixels, a depth map can be formed.
- [Horizontal displacement](#)
- [Vertical displacement](#)

Views along the vertical and horizontal axes



3D Recovery

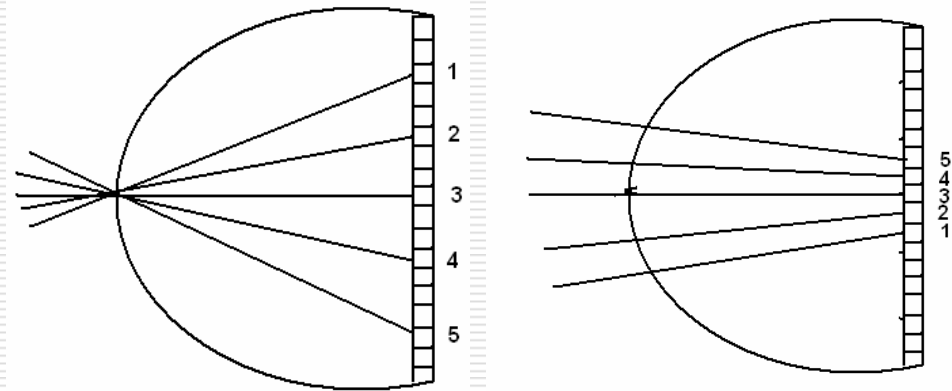


[1] ADELSON, T., AND WANG, J. Y. A. 1992. Single lens stereo with a plenoptic camera. *IEEE Transactions on Pattern Analysis and Machine Intelligence* 14, 2 (Feb), 99–106.
[3] NG, R., LEVOY, M., BR'EDIF, M., DUVAL, G., HOROWITZ, M., AND HANRAHAN, P. 2005. Light field photography with a hand-held plenoptic Camera. Tech. Rep. CSTR 2005-02, Stanford Computer Science.

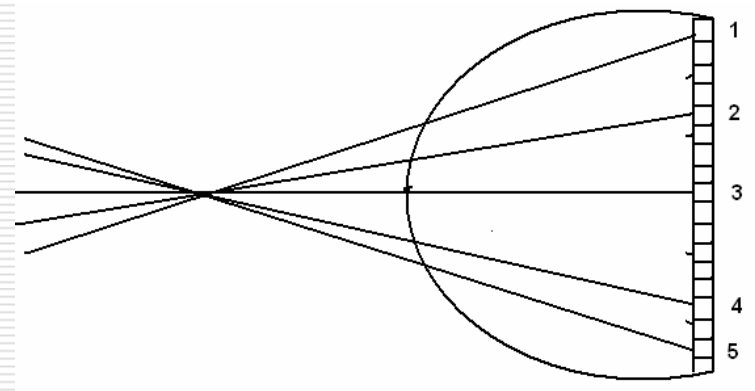
Synthetic refocusing

- What is synthetic refocusing?

Capture an image once with plenoptic camera, and generate numerous images focused at different depths.



- > The figures illustrate the fact that resorting pixels is equivalent to resorting the rays and hence identical to refocusing.



Some refocused images



Fourier Slicing

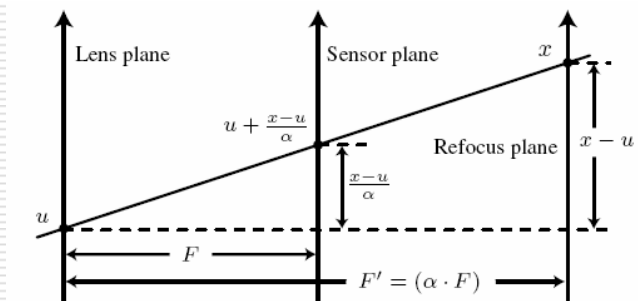
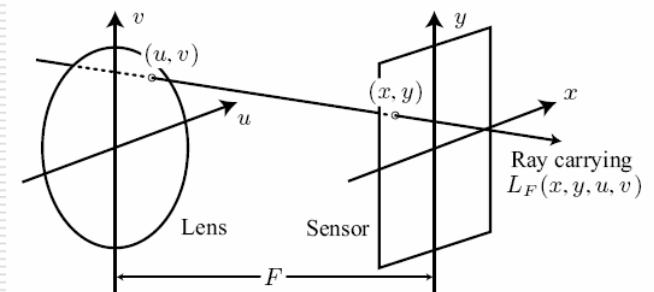
- Image in a camera is proportional to the irradiance.

$$E_F(x, y) = \frac{1}{F^2} \iint \bar{L}_F(x, y, u, v) \cos^4 \phi \, du \, dv$$

- When refocused to F' ,

$$\mathcal{P}_\alpha [L_F](x, y) = E_{(\alpha \cdot F)}(x, y) = \frac{1}{\alpha^2 F^2} \iint L_F(u(1-1/\alpha) + x/\alpha, v(1-1/\alpha) + y/\alpha, u, v) \, du \, dv. \quad (3)$$

- $P(x,y)$ is nothing but a 2D projection of of the 4D light field.



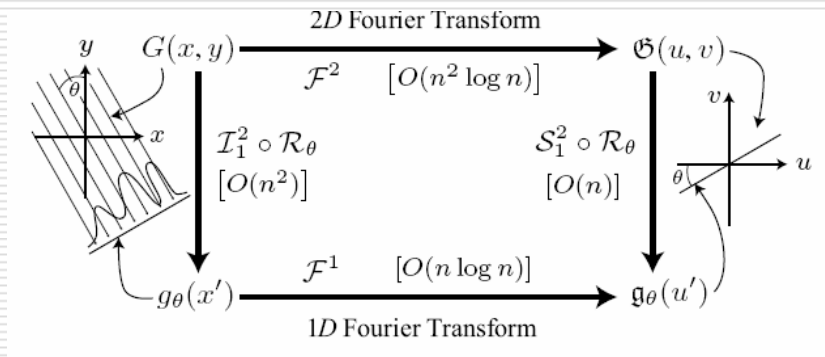
[4] NG, R., Fourier slice photography.
 [2] LEVOY, M., AND HANRAHAN, P. 1996. Light field rendering. In *SIGGRAPH* 96, 31-42.

Fourier slicing

- Fourier slice theorem in two dimensions.

1D slice of a 2D function's fourier transform is the fourier transform of an orthographic integral projection of the 2D function.

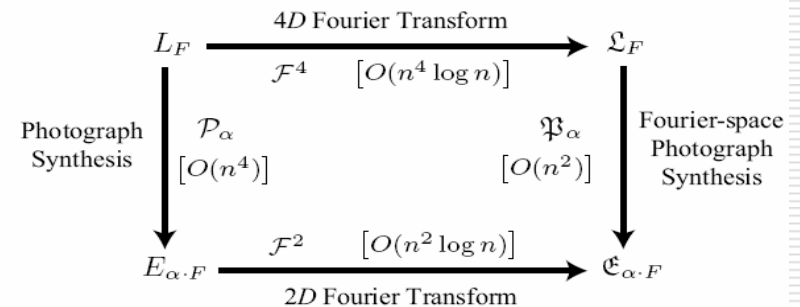
- > Fourier slice theorem can be extended to higher dimensions.



$$\mathcal{F}^M \circ \mathcal{I}_M^N \circ \mathcal{B} \equiv \mathcal{S}_M^N \circ \frac{\mathcal{B}^{-T}}{|\mathcal{B}^{-T}|} \circ \mathcal{F}^N$$

- > Consequently, P can be expressed as

$$\begin{aligned} \mathcal{P}_\alpha [L_F] &\equiv \frac{1}{\alpha^2 F^2} \mathcal{I}_2^4 \circ \mathcal{B}_\alpha [L_F] \\ &\equiv \frac{1}{F^2} \mathcal{F}^{-2} \circ \mathcal{S}_2^4 \circ \mathcal{B}_\alpha^{-T} \circ \mathcal{F}^4 \end{aligned}$$



[4] NG, R., Fourier slice photography.

[2] LEVOY, M., AND HANRAHAN, P. 1996. Light field rendering. In SIGGRAPH 96, 31-42.

References

- [1] ADELSON, T., AND WANG, J. Y. A. 1992. Single lens stereo with a plenoptic camera. *IEEE Transactions on Pattern Analysis and Machine Intelligence* 14, 2 (Feb), 99–106.
 - [2] LEVOY, M., AND HANRAHAN, P. 1996. Light field rendering. In *SIGGRAPH 96*, 31–42.
 - [3] NG, R., LEVOY, M., BR'EDIF, M., DUVAL, G., HOROWITZ, M., AND HANRAHAN, P. 2005. Light field photography with a hand-held plenoptic Camera. Tech. Rep. CSTR 2005-02, Stanford Computer Science.
<http://graphics.stanford.edu/papers/lfcamera>.
 - [4] NG, R., Fourier slice photography.
 - [5] MALZBENDER, T. 1993. Fourier volume rendering. *ACM Transactions on Graphics* 12, 3, 233–250.
-

Thank You!
